

---

## Permutations and cycles

P99557\_en

Examen extraordinari d'Algorísmia, FME (2013-07-03)

---

Given two natural numbers  $n$  and  $k$ , let  $f(n, k)$  denote the number of permutations with  $n$  elements, and such that there are exactly  $k$  cycles, all them of length at least 2. Implement a dynamic programming code to compute  $f(n, k)$ .

### Input

Input consists of several cases, each with two natural numbers  $n$  and  $k$ . You can assume  $2 \leq n \leq 1000$  and  $1 \leq k \leq \lfloor n/2 \rfloor$ .

### Output

For every case, print  $f(n, k)$ . Because that number can become very large, use **long long**'s and make the computations modulo  $10^9 + 7$ .

### Hint

You can compute  $f(n, k)$  just adding two "recursive calls".

### Sample input

```
2 1
3 1
4 1
4 2
5 1
5 2
20 5
100 10
1000 1
1000 2
1000 500
```

### Sample output

```
1
2
6
3
24
20
796437723
673801497
756641425
592422688
164644882
```

### Problem information

Author : Enric Rodríguez  
Translator : Salvador Roura  
Generation : 2024-05-03 10:18:06

© Jutge.org, 2006–2024.  
<https://jutge.org>