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The Virtual Learning Environment for Computer Programming

## Fractals

Vint-i-dosè Concurs de Programació de la UPC - Semifinal (2024-06-27)
Consider an $n \times m$ matrix of chars $M$, which may include '. ', ' $x$ ', ' $p$ ' and ' $n$ '. Define the "negative" of $M$ as the matrix result of replacing each '.' by ' $x$ ', each ' $x$ ' by '. ', each ' $p$ ' by ' $n$ ', and each ' $n$ ' by ' $p$ '. For instance, the negative of

$$
\operatorname{Xpx} \text { is } \cdot n .
$$

We can use $M$ to create some kind of fractals, by repeatedly replacing each character $c$ of the current matrix by an $n \times m$ matrix, with these rules:

- If $c=$ '. ', replace $c$ by an $n \times m$ matrix with all '. '.
- If $c=$ ' $x$ ', replace $c$ by an $n \times m$ matrix with all ' $x$ '.
- If $c=$ ' p ', replace $c$ by $M$.
- If $c=$ ' $n$ ', replace $c$ by the negative of $M$.

With the example above, after one step we get

```
xxxxpxxxx
xxx.n.xxx
....n....
...xpx...
and after two steps we get
```



```
XXXXXXXXXXXX.n.ExXXXXXXXXXX
xxxxxxxxx....n....xXXXXXXXX
xxxxxxxxx...\px...xxyxxxxxx
............n.............
.............. . . . . . . . . . . . .
..........xxxxpxxxx..........
..........xxx.n.xxx..........
```

Can you simulate this process $k$ times?

## Input

Input consists of several cases. Every case begins with $n, m$ and $k$, followed by an $n \times m$ matrix $M$ as explained above. Assume that $n$ and $m$ are between 1 and 100 , and $k \geq 1$.

## Output

Print $k$ matrices for each case: the result after one step, two steps, etc. Separate these matrices by blank lines. End each case with 10 asteriscs. When printing the results, replace each ' p ' by ' $x$ ', and each ' $n$ ' by '. '. With the given cases, no result will have more than $10^{6}$ chars.

| Sample input | Sample output |
| :---: | :---: |
| 232 | xxxxxxxxx |
| XpX | xxx. . xxx |
| .n. |  |
| 111 | ... XXX ... |
| n |  xxxxxxxxxxxx... xxxxxxxxxxxx |
| 124 | xxxxxxxxx. . . . . . . xxxxxxxxx $^{\text {dex }}$ |
| pn | xxxxxxxxx. . $x$ xx. . . $x$ dxxxxxx |
| 232 | . . . . . . . . . . . $x$ xx . . . . . . . . . . . |
| p.p |  |
| ppp |  |
|  | ********** |
|  | X |
|  | $\begin{aligned} & \text { ********** } \\ & \text { x..x } \end{aligned}$ |
|  | x. .x.xx. |
|  | x..x.xx. $\mathrm{xx} . \mathrm{x} . . \mathrm{x}$ |
|  |  |
|  | X.X...X.X |
|  | XXX... XXX |
|  | X. XX . XX . X |
|  | xxxxxxxxx |
|  | x.x...x.x.........x.x...x.x |
|  | xxx. . $x$ xx. . . . . . . $\mathrm{xxx}^{\text {. . . }}$ xxx |
|  |  |
|  | xxxxxxxxx. . . . . . xxxxxxxxx $^{\text {d }}$ |
|  | X.x...x.xx.x...X.xx.x...x.x |
|  | xxx...xxxxxx. . $x$ xxxxx. . $\mathrm{xxx}^{\text {d }}$ |
|  | X. XX . XX . XX . XX . XX . XX . XX . XX . X |
|  | ExXXXXXXXXXXXXXXXXXXXXXXXXX |
|  | ********** |

## Problem information

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