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The Virtual Learning Environment for Computer Programming

## Similar statements (6)

Catorzè Concurs de Programació de la UPC - Semifinal (2016-06-29)
Consider two infinite horizontal lines $A$ and $B$, separated $\ell$ units apart. The line $A$ has $m$ points at the abscissae $a_{1}, \ldots, a_{m}$. The line $B$ has $n$ points at the abscissae $b_{1}, \ldots, b_{n}$. Given $p$ different indices $i_{1}, \ldots, i_{p}$ choosen from $\{1 \ldots m\}$, and $p$ different indices $j_{1}, \ldots, j_{p}$ choosen from $\{1 \ldots n\}$, define $d_{k}$ as the Euclidean distance between $a_{i_{k}}$ and $b_{j_{k}}$, that is,

$$
d_{k}=\sqrt{\left(a_{i_{k}}-b_{j_{k}}\right)^{2}+\ell^{2}}
$$

You are given $\ell, p$, and the points in $A$ and in $B$. Pick $i_{1}, \ldots, i_{p}$ and $j_{1}, \ldots, j_{p}$ in order to

$$
\operatorname{maximize} \max _{k=1 . . p} d_{k}
$$

## Input

Input consists of several cases, each one with only integer numbers. Every case begins with four strictly positive numbers $\ell, p, m$ and $n$. Follow $a_{1} \leq a_{2} \leq \cdots \leq a_{m-1} \leq a_{m}$. Follow $b_{1} \leq b_{2} \leq \cdots \leq b_{n-1} \leq b_{n}$. Assume $\ell \leq 10^{6}, p \leq \min (m, n)$, and that the absolute value of each abscissa is at most $10^{6}$.

Additionally, assume that $m$ and $n$ are at most $10^{5}$.

## Output

For every case, print the result with four digits after the decimal point. If you use the long double type, the input cases have no precision issues.

```
Sample input
122
5 10
90
2 2 2
510
920
1000000454
300000 300000 300000 300000 300000
-500000 -500000 -500000-500000
3274
0 24681012
14710
```


## Sample output

## Problem information

Author : Salvador Roura
Generation : 2019-01-29 15:37:23
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