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The Virtual Learning Environment for Computer Programming

$$50 \times 50 \neq 250$$
 P21459_en Desè Concurs de Programació de la UPC - Final (2012-09-15)

In the ACM-ICPC World Finals 2012, the UPC team made as usual a nice set of mistakes. One of them was the original assumption that $50 \times 50 = 250$. Observe that this equation has two interesting properties:

- 1. The right-hand side of the equation is the result of removing one digit from the real result (in the example, 2500).
- 2. At least one of the two numbers of the left-hand side of the equation has at least one digit such that, if removed, makes the equation correct (in the example, $5 \times 50 = 250$).

Let us call an equation $x \times y = z$ a *fail* when it fulfills properties 1 and 2, and an *epic fail* when it only fulfills property 1. For instance, $50 \times 50 = 200$ is an epic fail. Please write a program to count the number of fails and epic fails that the UPC teams can make at the ACM-ICPC World Finals.¹

Input

Input consists of several cases. Every case has two numbers x and y with the same number of digits n. Those numbers can have leading zeroes. Assume $2 \le n \le 1000$.

Output

For every case, print the number of different fails and epic fails of the kind $x \times y = z$. Note that z must have length exactly 2n - 1, if necessary by adding leading zeroes.

Sample input	Sample output
50 50	1 2
002 003	2 0
9999 9999	0 4
0000 0000	1 0
100 111	2 1
0123456789 9876543210	2 16
2121212121212 4000000000000	15 1

Problem information

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 $^{^{1}}$ The real number is of course ∞, but let us use the simplifications of the statement.